

Bias in Commitment Space Semantics: Declarative Questions, Negated Questions, and Question Tags¹

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1 A Framework for Illocutionary Acts

Basic assumptions:

- Illocutionary acts change the social relations and obligations of the interlocutors. (cf. Searle 1969, Alston 2001)
- Such changes are functions from world/time pairs to world/time pairs, hence they have a semantic type (cf. Szabolcsi 1982, Singh 1993, Krifka 2014).

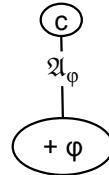
Formal model of such changes, based on Cohen & Krifka (2014).

- Inspired by model of common ground change (Stalnaker 1974)
- Captures not only the commitments that have accrued up to the current point in conversation, but also their licit future developments.
- This component will be crucial for the modeling of questions, of negation of questions, and of question tags.

Fundamental notion: **commitment state**,

- Modeled as the set of commitments publicly shared by the participants.
- Contains information: which participant is committed to which proposition.
- The basic function of a speech act is to change a commitment state, typically by adding new commitments.

- (1) Update of commitment state c with speech act \mathfrak{A}_φ
 $c + \mathfrak{A}_\varphi = c \cup \{\varphi\}$,
where φ : the commitment introduced by speech act \mathfrak{A}_φ .



Requirements for pragmatically licit updates:

- The proposition φ is **not entailed** by c , otherwise, φ would be redundant.
- The proposition φ should be **consistent** with the propositions in c ; e.g. should not contain φ and $\neg\varphi$.

Figure 1: Update of commitment state

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Bias in commitment space semantics

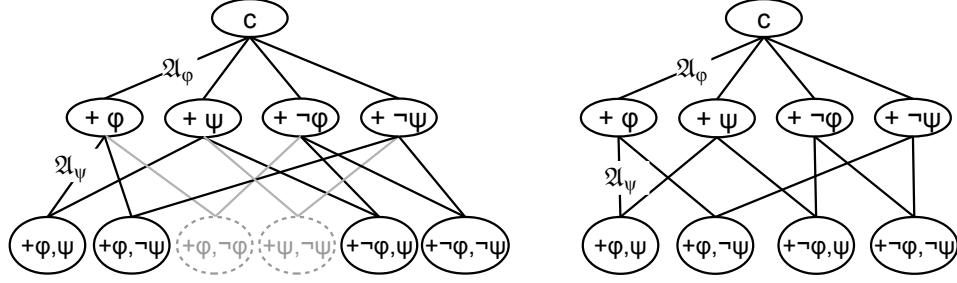


Figure 2: Possible updates of commitment state c with the propositions φ , ψ and their negations. Inconsistent commitment states are grayed out (left) or eliminated (right)

Notion of Commitment Spaces (CS):

- Commitment State plus the possible legal continuations
 - $\cap C$, written \sqrt{C} : The **root** of a CS, its basic commitment state.
- (2) C is a Commitment Space iff
 - a. C is a set of commitment states
 - b. $\cap C \neq \emptyset$
 - c. $\cap C \in C$
 - (3) Update of a commitment space with an illocutionary act \mathfrak{A} , where \mathfrak{A} is defined for commitment states:

$$C + \mathfrak{A} = \{c \in C \mid \sqrt{C} + \mathfrak{A} \subseteq c\}$$

Modeling future development of a commitment state as “common ground management”, cf. Krifka 2008.

Example for use of CS: Denegation (Searle 1969, Hare 1990).

- (4) *I don't promise to come*
 $(\neq I \text{ promise not to come}).$
- (5) Update of a commitment space with the denegation of \mathfrak{A} :

$$C + \sim \mathfrak{A} = C - [C + \mathfrak{A}]$$

Denegation does not change the root of the commitment space, but prunes its legal developments.

Speech acts that do not change the root:

Meta speech acts (Cohen & Krifka 2014).

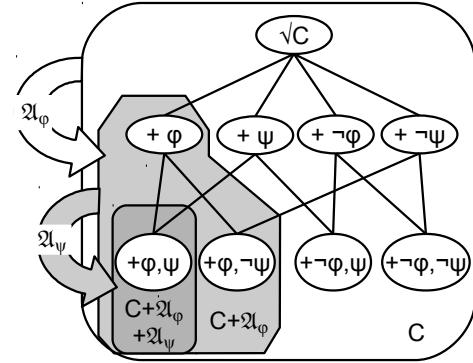


Figure 3:
Updates of commitment space

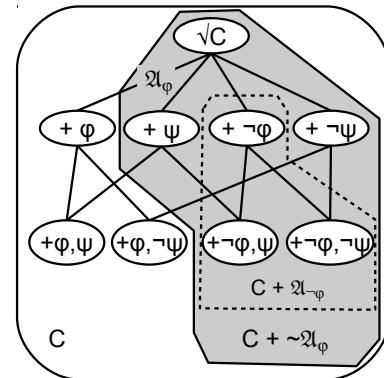


Figure 4:
Denegation of φ

Further combinations of speech acts (Cohen & Krifka 2014).

- (6) Speech act conjunction: $C + [\mathfrak{A} \& \mathfrak{B}] = [C + \mathfrak{A}] \cap [C + \mathfrak{B}]$
 $\approx C + \mathfrak{A} + \mathfrak{B}, \approx C + \mathfrak{B} + \mathfrak{A}$
- (7) Speech act disjunction: $C + [\mathfrak{A} \vee \mathfrak{B}] = [C + \mathfrak{A}] \cup [C + \mathfrak{B}]$

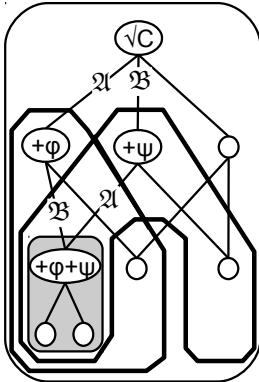


Figure 5:
Conjunction of basic and meta speech acts.

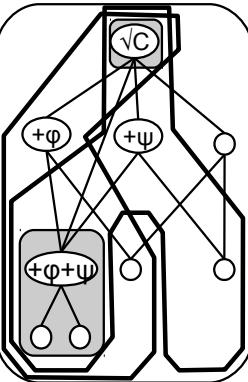


Figure 6:
Disjunction of basic and meta speech acts.

Notice: Disjunction of basic speech acts does not lead to a proper CS, hence is not defined. Why then do we have disjunction of root clauses that presumably denote speech acts (Gärtner & Michaelis 2008)? Possible operation of re-rooting by finding the immediately preceding commitment state of the minimal commitment states, here: $+[\varphi \vee \psi]$.

Commitment Space Developments (CSD):

- Capture the development of the CSs in conversation
 - Modeled by a sequence: $\langle C_0, C_1, \dots, C_n \rangle$
 - Indication of the actor of a change of the CS:
- (8) Update of a commitment space development with speech act \mathfrak{A} by actor S:
 $\langle \dots, [C]_s \rangle +_S \mathfrak{A} = \langle \dots, [C]_s, [C + \mathfrak{A}]_s \rangle$

CSDs are necessary for the operation of **rejection** of a move.

- (9) $\langle \dots, [C]_s, [C']_s \rangle +_S \mathfrak{R}$
 $= \langle \dots, [C]_s, [C']_s, [C]_s \rangle$

Cf. the notion of a “Table” in Farkas & Bruce 2010; conversational moves consists in putting a proposition or a set of propositions on the table, which then has to be accepted or rejected by the other participant.

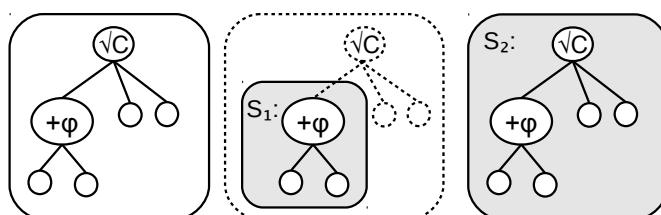


Figure 7: Rejection of a speech act

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Note that + is just shorthand for functional application:

- (10) a. $c + \mathfrak{A}_\phi = \mathfrak{A}_\phi(c)$, where $\mathfrak{A}_\phi = \lambda c[c \cup \phi]$
- b. $C + \mathfrak{A} = \mathfrak{A}(C)$, where $\mathfrak{A} = \lambda C \{c \in C \mid \sqrt{C} + \mathfrak{A} \subseteq c\}$
- c. $\langle \dots, [C] \dots \rangle +_s \mathfrak{A} = \mathfrak{A}_s(\langle \dots, [C] \dots \rangle)$, where $\mathfrak{A}_s = \lambda \langle \dots, [C] \dots \rangle \langle \dots, [C] \dots, [\mathfrak{A}(C)]_s \dots \rangle$
- d. $\langle \dots, C \rangle +_s \mathfrak{R} = \mathfrak{R}_s(\langle \dots, [C] \dots \rangle)$,
 where $\mathfrak{R}_s = \lambda \langle \dots, [C'] \dots, [C] \dots, \dots, [C] \dots, [C'] \dots, [C] \dots \rangle$

Notice: Modeling of speech acts inspired by **modal logic**, with the process of update as a new kind of accessibility relation. A kind of “**conversational modality**”.

2 Assertions

Assertion:

- S undertakes responsibility for what is claimed, by **committing** oneself to the truth of that proposition.
 - Not: S wants A to believe a proposition (cf. Bach & Harnish 1979).
- (11) a. *Believe it or not, I won the race.*
 - b. *I know you won't believe me, but just for the record: I did not kill Beth.*

Hence: The wish of S that A believes the asserted proposition

- is not the main point of the illocutionary act of assertion
- is a conversational implicature of the act of assertion (can be cancelled)
- is a (likely) perlocutionary act associated to assertion.

Public commitments to truth of propositions come with social sanctions, e.g. loss of face, that are the reason for addressees to believe the proposition.

“(…) the assuming of responsibility, which is so prominent in solemn assertion, must be present in every genuine assertion. For clearly, every assertion involves an effort to make the intended interpreter believe what is asserted, to which end a reason for believing it must be furnished. But if a lie would not endanger the esteem in which the utterer was held, nor otherwise be apt to entail such real effects as he would avoid, the interpreter would have no reason to believe the assertion” (Charles Sanders Peirce, CP 5.546, 1908).

The following examples express different commitments; argue against idea that assertion of ϕ expresses a commitment to belief ϕ (Lauer 2013).

- (12) a. *I won the race.*
- b. *I believe that I won the race.*

Moore’s paradox: It is self-defeating to commit to the truth of a proposition and at the same time commit to the proposition that one believes that it is not true.

Expression of public commitment by speaker S_1 to a proposition ϕ , using Frege’s “Urtheilsstrich”: $S_1 \vdash \phi$. Notice: This is a proposition.

The conversational implicature that is generated by $S_1 \vdash \varphi$ arises as a second step from this public commitment of S_1 .

$$(13) \langle \dots, [C] \dots \rangle +_{S_1} S_1 \vdash \varphi +_{S_1} \varphi \\ = \langle \dots, [C] \dots, [C + S_1 \vdash \varphi]_{S_1}, [C + S_1 \vdash \varphi + \varphi]_{S_1} \rangle$$

Proposal for syntactic realization:

- The operation $S_1 \vdash \varphi$ is represented in syntax by an “Evidential Phrase” (cf. Speas 2004);
here: Commitment Phrase; Head of CmP: \vdash
- There is another head for assertion (in contrast to question), which I call ActP (cf. Speas 2004).

$$(14) [\text{ActP} [[\text{Act}^\circ .] [\text{CmP} [[\text{Cm}^\circ \vdash] [\text{TP} I \text{ won the race}]]]]]$$

With possible head and specifier movement:

$$(15) [\text{ActP} I [[\text{Act}^\circ . \text{won}] [\text{CmP} [\text{t}_I [\text{Cm}^\circ \vdash \text{t}_{\text{won}}] [\text{TP} \text{ t}_I \text{ t}_{\text{won}} \text{ the race}]]]]]$$

Interpretation is with respect to a function $\llbracket \dots \rrbracket^{S_1 S_2}$ that specifies the speaker S_1 , the addressee S_2 ; additional parameters suppressed here.

$$(16) \llbracket [\text{ActP} [[\text{Act}^\circ .] [\text{CmP} [[\text{Cm}^\circ \vdash] [\text{TP} I \text{ won the race}]]]]] \rrbracket^{S_1 S_2} \\ = \llbracket [\text{Act}^\circ .] \rrbracket^{S_1 S_2} (\llbracket [\text{Cm}^\circ \vdash] [\text{TP} I \text{ won the race}] \rrbracket^{S_1 S_2}) \\ = \llbracket [\text{Act}^\circ .] \rrbracket^{S_1 S_2} (\llbracket [\text{Cm}^\circ \vdash] \rrbracket^{S_1 S_2} (\llbracket [\text{TP} I \text{ won the race}] \rrbracket^{S_1 S_2})) \\ \text{with } \llbracket [\text{TP} I \text{ won the race}] \rrbracket^{S_1 S_2} = 'S_1 \text{ won the race}' \\ \llbracket [\text{Cm}^\circ \vdash] \rrbracket^{S_1 S_2} = \lambda p \lambda S [S \vdash p] \\ \llbracket [\text{Act}^\circ .] \rrbracket^{S_1 S_2} = \lambda R \lambda \langle \dots, C \dots \rangle [\langle \dots, C \dots, [C + R(S_1)]_{S_1} \rangle] \\ = \lambda \langle \dots, C \dots \rangle [\langle \dots, C \dots, [C + S_1 \vdash 'S_1 \text{ won the race}']_{S_1} \rangle]$$

A function that updates the last CS of a CSD:

$$(17) (16)(\langle \dots, C \dots \rangle) = \langle \dots, C \dots, [C + S_1 \vdash 'S_1 \text{ won the race}']_{S_1} \rangle \\ = \langle \dots, C \dots \rangle +_{S_1} S_1 \vdash \varphi, \text{ for short.}$$

Example for speechact-related operator:

$$(18) [\text{ActP} I [[\text{Act}^\circ .] [\text{CmP} \text{ honestly} [\text{CmP} [\text{t}_I [\text{Cm}^\circ \vdash \text{won}] [\text{TP} \text{ t}_I \text{ t}_{\text{won}} \text{ the race}]]]]]]]$$

3 Reactions to Assertions

Typical reaction: Acknowledgement.

$$(19) \langle \dots, C_{S_1} \rangle + \text{acknowledgement by } S_2 = \langle \dots, C_{S_1}, C_{S_2} \rangle$$

Reaction *yes*: S_2 also asserts this proposition, becomes responsible for its truth.
The particles *yes* and *no* are sentential anaphors that pick up recently introduced propositions (Krifka 2013).

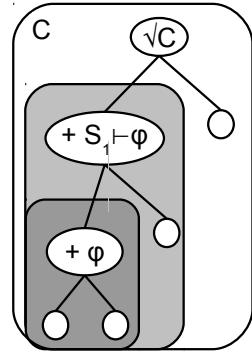


Figure 8: Assertion of φ , followed by conventional implicature

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- (20) $\langle \dots, C_{\dots}, [C + S_1 \vdash \varphi]_{S_1}, [C + S_1 \vdash \varphi + \varphi]_{S_2} \rangle + S_2: Yes.$
 $= \langle \dots, C_{\dots}, [C + S_1 \vdash \varphi]_{S_1}, [C + S_1 \vdash \varphi + \varphi]_{S_1}, [C + S_1 \vdash \varphi + \varphi + S_2 \vdash \neg \varphi]_{S_2} \rangle$

Reaction *no*: S_2 asserts the negation of φ . As a commitment state that would both contain φ and $S_2 \vdash \neg \varphi$ is incoherent, previous retraction necessary:

- (21) $\langle \dots, C_{\dots}, [C + S_1 \vdash \varphi]_{S_1}, [C + S_1 \vdash \varphi + \varphi]_{S_2} \rangle + S_2: No.$
 $= \langle \dots, C_{\dots}, [C + S_1 \vdash \varphi]_{S_1}, [C + S_1 \vdash \varphi + \varphi]_{S_2} \rangle + \mathfrak{R}_{S_2} + S_2 \vdash \neg \varphi$
 $= \langle \dots, C_{\dots}, [C + S_1 \vdash \varphi]_{S_1}, [C + S_1 \vdash \varphi + \varphi]_{S_2}, [C + S_1 \vdash \varphi + S_2 \vdash \neg \varphi]_{S_2} \rangle$

The resulting commitment space contains the information that S_1 is committed to φ , and that S_2 is committed to $\neg \varphi$ (not a contradiction, in the logical sense).

Notice: In this setting, *no* requires a more complex change than *yes*, due to the necessity of retraction. But retraction is not an inherent feature of *no*:

- (22) $S_1: I didn't win the race.$
 $S_2: No, you didn't.$

The truth commitment by the first speaker $S_1 \vdash \varphi$ can be targeted by comments like *Don't say that!* or *Don't be a fool*: no grammaticalized way to confirm or refute it.

4 Polar Questions and Reactions to Polar Questions

Questions as meta speech acts, modeling the legal continuations.

- (23) $\langle \dots, C_{\dots} \rangle + S_1$ to $S_2: Did I win the race?$
 $\langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup C + S_2 \vdash \varphi \cup C \cup S_2 \vdash \neg \varphi]_{S_1} \rangle$

Answers *yes* and *no*: No retraction required.

- (24) a. (23) + $S_2: Yes. = (23) + S_2 \vdash \varphi$
b. (23) + $S_2: No. = (23) + S_2 \vdash \neg \varphi$

Non-congruent answers like *I don't know* or *I don't tell you* can be expressed if we assume a prior retraction of the last move.

- (25) (23) + $\mathfrak{R}_{S_2} + S_2: I don't know. =$
 $\langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup C + S_2 \vdash \varphi \cup C \cup S_2 \vdash \neg \varphi]_{S_1},$
 $C_{S_2}, [C + S_2 \vdash \neg S_2 \text{ knows whether } \varphi]_{S_2} \rangle$

In addition to such **bipolar** questions, we also can assume **monopolar** questions that offer just one option – e.g. for declarative questions (Gunlogson 2002).

- (26) $\langle \dots, C_{\dots} \rangle + S_1, to S_2: I won the race?$
 $= \langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup C + S_2 \vdash \varphi]_{S_1} \rangle$

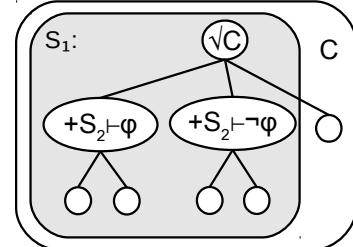


Figure 9: Bipolar question

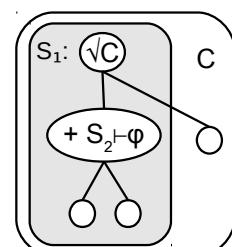


Figure 10: Monopolar (biased) question

Answer *yes* straightforward, *no* requires a prior rejection, reflecting the bias.

- (27) a. (26) + S_2 : Yes. = (26) + $S_2 \vdash \varphi$
 b. (26) + S_2 : No. = (26) + $\mathfrak{R}_{S_2} + S_2$: No. =
 $\langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup C + S_2 \vdash \varphi]_{S_1}, [C]_{S_2}, [C + S_2 \vdash \neg \varphi]_{S_2} \rangle$

Evidence that standard English polarity questions have a biased reading: Questions with propositional negation.

- (28) $\langle \dots, C_{\dots} \rangle + S_1$, to S_2 : *Did Ed not win the race?*
 $\neq (23)$
 $= \langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup C + S_2 \vdash \neg \varphi]_{S_1} \rangle$

Derivation of question meanings:

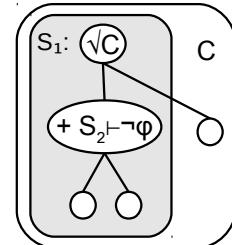


Figure 11: Monopolar negated question

- Same evidential phrase as for assertions (for information questions).
- The speaker requests commitment to the proposition by the addressee; This is expressed by an operator $[_{Act^o} ?]$.

$$(29) \llbracket [_{ActP} [[_{Act^o} ? Did] [_{CmP} [[_{Cm^o} \vdash t_{did}] [_{TP} I t_{did} \text{win the race}]]]]] \rrbracket^{S_1 S_2}$$

$$= \llbracket [_{Act^o} ?] \rrbracket^{S_1 S_2} (\llbracket [[_{Cm^o} \vdash] [_{TP} I did \text{win the race}]] \rrbracket^{S_1 S_2})$$

$$= \llbracket [_{Act^o} ?] \rrbracket^{S_1 S_2} (\llbracket [_{Cm^o} \vdash] \rrbracket^{S_1 S_2} (\llbracket [_{TP} I did \text{win the race}] \rrbracket^{S_1 S_2}))$$

with $\llbracket [_{TP} I won \text{the race}] \rrbracket^{S_1 S_2} = 'S_1 \text{won the race}'$

$$\llbracket [_{Cm^o} \vdash] \rrbracket^{S_1 S_2} = \lambda p \lambda S [S \vdash p]$$

$$\llbracket [_{Act^o} ?] \rrbracket^{S_1 S_2} = \lambda R \lambda \langle \dots, C_{\dots} \rangle [\langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup C + R(S_2)]_{S_1} \rangle]$$

$$= \lambda \langle \dots, C_{\dots} \rangle [\langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup C + S_2 \vdash 'S_1 \text{won the race}']_{S_1} \rangle]$$

This is the monopolar question meaning. What about bipolar questions?

- Verum operator introduced Falsum operator as alternative
- Bipolar question as **disjunction** of the two questions.

- (30) *I DID win the race.*
 Of the two propositions $\{\varphi, \neg \varphi\}$,
 the proposition φ is the true one.

$$(31) \llbracket [_{ActP} [? did] [_{CmP} [\vdash [_{TP} I t_{did} \text{win the race}]]]] \rrbracket^{S_1 S_2}$$

$$\vee \llbracket [_{ActP} [? didn't] [_{CmP} [_{TP} I t_{didn't} \text{win the race}]]] \rrbracket^{S_1 S_2}$$

$$= \lambda \langle \dots, C_{\dots} \rangle [\langle \dots, C_{\dots}, [\{\sqrt{C}\} \cup S_2 \vdash \varphi \cup S_2 \vdash \neg \varphi]_{S_1} \rangle]$$

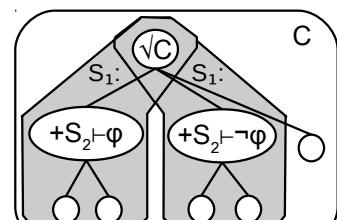


Figure 12: Disjunction of two monopolar questions

Similar to the formation of an alternative question:

- (32) *Did Ed win the race, or not? / or did he not win the race?*

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But differences in yes/no answers:

- Alternative question (32) introduces **two** TP meanings of equal saliency, φ and $\neg\varphi$, consequently *yes* and *no* cannot be used, unclear which proposition.
- In (29), there is only one TP that introduces just one proposition, φ , as possible antecedent.

Natural treatment of alternative questions:

Disjunction of monopolar questions

- (33) a. *Did Ed meet Ann, Beth, or Carla?*
 b. *Who did Ed meet?*

Treatment of constituent questions as generalized disjunctions induced by wh-constituents, which have a basic indefinite reading.

$$(34) \llbracket_{\text{ActP}} \text{who} \llbracket_{\text{Act}^o} ? \text{did} \rrbracket_{\text{Cmp}} \llbracket_{\text{Cm}^o \vdash} [\text{Ed } t_{\text{did}} \text{ meet } t_{\text{who}}] \rrbracket \rrbracket_{S_1 S_2}$$

$$= \bigvee_{x \in \text{PERSON}} \lambda \langle \dots, C \dots \rangle [\langle \dots, C \dots, [\{\sqrt{C}\} \cup C + S_2 \vdash \text{'Ed met } x']_{S_1} \rangle]$$

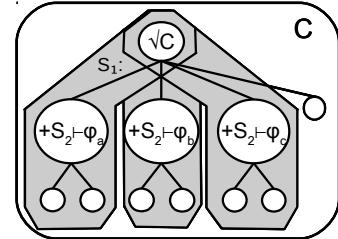


Figure 13: Alternative question / constituent question as disjunction of monopolar questions

Remark: In the current framework, questions are not essentially linked to disjunctions, different from Inquisitive Semantics. This provides for a natural way to account for question bias (Inquisitive Semantics, e.g. Farkas & Roelofseon 2015, needs extraneous means, like highlighting).

5 Negated questions

Questions with propositional or “low” negation, e.g. (28) and questions with high negation (cf. Ladd 1981, Han & Romero 2004, Romero 2006, Repp 2012).

- (35) *Didn't Ed win the race?*

Boolean negation over the ComP:

$$(36) \llbracket_{\text{ActP}} \llbracket_{\text{Act}^o} ? \text{Did} \rrbracket_{\text{EVPn} \nmid} \llbracket_{\text{Cm}^o \vdash} \llbracket_{\text{TP} I_{\text{did}} \text{ win the race}} \rrbracket \rrbracket \rrbracket_{S_1 S_2}$$

$$= \llbracket_{\text{Act}^o} ? \rrbracket_{S_1 S_2} (\llbracket_{\text{not}} \rrbracket_{S_1 S_2} (\llbracket_{\vdash} \rrbracket_{S_1 S_2} (\llbracket_{\text{TP} I_{\text{did}} \text{ win the race}} \rrbracket_{S_1 S_2})))$$

$$= \lambda \langle \dots, C \dots \rangle [\langle \dots, C \dots, [\{\sqrt{C}\} \cup \neg S_2 \vdash \neg \varphi]_{S_1} \rangle]$$

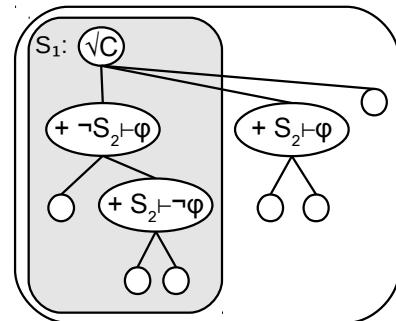


Figure 14: High negation question

S_1 proposes an update of C in which S_2 excludes a commitment for the proposition ‘ S_1 won the race’.

Notice: $\neg S_2 \vdash \varphi$ is weaker than $S_2 \vdash \neg \varphi$, hence it does not constitute a bias of S_1 towards $\neg \varphi$, and neither a bias of S_1 towards φ . This explains that such questions can be used in contexts in which a bias towards $\neg p$ should be avoided.

Cf. discussion in Büring & Gunlogson 2000; here my own examples.

- (37) a. S_1 looks at the yellow pages of a small town, finds a restaurant “V-Day”
 b. S_1 has no information but considers eating in a vegetarian restaurant.
 c. S_1 looks at the yellow pages of a small town, only finds restaurants like
 “Meateaters delight”, “The Big T-Bone”, etc.
 i. S_1 : a, b, c: *Is there a vegetarian restaurant around here?*
 ii. S_1 : #a, b, #c: *Is there no vegetarian restaurant around here?*
 iii. S_1 : #a, b, c: *Isn't there a vegetarian restaurant around here?*

Contextual evidence	i: no negation	ii: low negation	iii: high negation
a: There is a vegetarian restaurant	ok (mono)	#	#
b: neutral	ok (bi)	#	ok
c: There is no vegetarian restaurant	(#)	ok	ok

- Büring & Gunlogson 2000: questions with no negation either have a bias towards the proposition, or have no bias.
- Here: this is due to the ambiguity between a monopolar and a bipolar reading.
- Questions with low (propositional) negation have a bias towards the negated proposition. This is evident from their monopolar interpretation.
- Questions with high negation can be used with a bias towards the negated proposition, but it also can be used if there is no (strong) bias.
- Can be attributed to the weaker demand that such questions put on the addressee, a non-commitment towards the proposition. Different from the use of non-negated questions in the “neutral” case, which asks the addressee to commit to either the proposition or its negation. Hence such questions can also be used if S_1 does not presuppose that S_2 knows the answer.
- With high negation questions, either answer, *yes* or *no*, requires reject first.

6 Question Tags

Question Tags come in two varieties (Cattell 1973):

- “a **matching** tag question means that the host clause is not put forward as the point of view of the speaker, but as one that is possibly that of the listener.”

- (38) *You are tired, are you?*
- **Reverse** question tags that have the opposite polarity of the host clause; “the speaker seems to be offering his own opinion and asking for agreement”
- (39) a. *I have won the race, haven't I?* b. *I haven't won the race, have I?*

Bias in commitment space semantics

There are additional differentiations coming from different kinds of prosody (cf. Reese & Asher 2008, Dehé & Brown 2013), which will be disregarded here.

Analysis of **matching** question tags by **speech act conjunction** of an assertion and a monopolar question.

(40) *I have won the race, have I?*

(41) $C +_{S_1} [[[[ActP [.] [Cmp [\vdash] [TP I have won the race]]]]]]^{S_1 S_2} \&$

$$[[[ActP [?] [Cmp [\vdash] [TP I have won the race]]]]]]^{S_1 S_2} \\ = [C + S_1 \vdash \varphi] \cap [\{\sqrt{C}\} \cup C + S_2 \vdash \varphi]$$

Overall effect of this move:

- The speaker S_1 proposes to S_2 that both S_1 and S_2 are committed to the proposition φ .
- That is, S_1 proposes dark central area in Figure 15 as new commitment space.
- S_1 can propose $S_2 \vdash \varphi$ because φ is understood as a commitment that S_2 has already anyway.
- If S_2 does not react, then the proposed commitments obtain.
- If S_2 asserts $\neg\varphi$, this requires a previous reject operation, which will also reject that S_1 is committed to φ .

Analysis of **reverse** tag questions by speech act **disjunction**.

(42) *I have won the race, haven't I?*

$$C +_{S_1} [[[[ActP [.] [Cmp [\vdash] [TP I have won the race]]]]]]^{S_1 S_2} \vee \\ [[[[ActP [? have] [Cmp n \nexists [\vdash] [TP I t_{have} won the race]]]]]]^{S_1 S_2}] \\ = [C + S_1 \vdash \varphi] \cup [\{\sqrt{C}\} \cup C + S_2 \vdash \varphi]$$

Overall effect of this move:

- Excludes that S_1 is committed to $\neg\varphi$ and S_2 is committed to φ .
This means that if S_2 commits to φ , then S_1 is committed to φ as well.
- If S_2 commits to $\neg\varphi$, then S_1 is not automatically committed to anything.
 S_1 has not achieved the intended backing of φ by getting S_2 to be committed to φ as well.
- This might be reason for S_1 to retract, by now asserting $\neg\varphi$ as well, or S_1 might stick with the commitment towards φ .
- The disjunctive interpretation is evident in languages that use a disjunction in question tags, as in Alemannic varieties of German, which use just disjunction *oder* as a question tag.

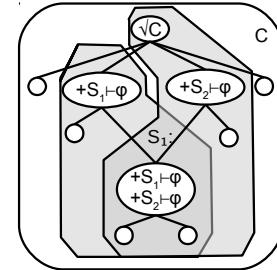


Figure 15: Matching question tag

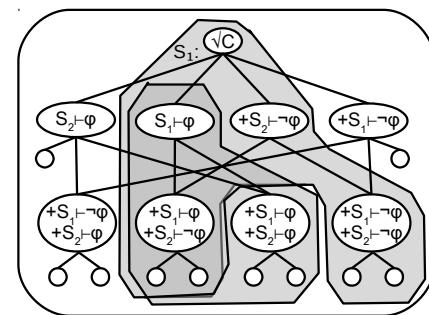


Figure 16: Reverse question tag