

# Prominence in Polarity Questions and their Answers

Conference on Prominence  
Universität zu Köln  
June 15 – 17, 2015

Manfred Krifka  
[krifka@rz.hu-berlin.de](mailto:krifka@rz.hu-berlin.de)



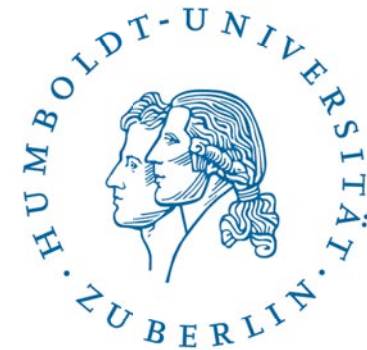
Zentrum für Allgemeine Sprachwissenschaft,  
Berlin

Humboldt-Universität zu Berlin

Z A S

Gefördert durch das BMBF

Gefördert durch die DFG (SFB 632)



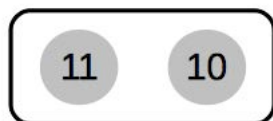
# The standard theory of polarity questions

Standard semantic theories of questions assign them a set of propositions (e.g., Groenendijk & Stokhof 1984, von Stechow 1989).

- ▶ *Ed came.*  $\lambda i[\text{came}(i)(\text{Ed})]$ , set of worlds  $i$  in which Ed came
- ▶ *Did Ed come?*  $\{\lambda i[\text{came}(i)(\text{Ed})], \lambda i\neg[\text{came}(i)(\text{Ed})]\}$  {set of worlds in which Ed came, set of worlds in which Ed didn't come}
- ▶ *Who came?*  $\{\lambda i[\text{came}(i)(\text{Ed})], \lambda i[\text{came}(i)(\text{Ann})], \lambda i[\text{came}(i)(\text{Sue})]\}$  {set of worlds in which Ed came, set of worlds in which Ann came, set of worlds in which Sue came}  
(exhaustive sets in Groenendijk & Stokhof)

Questions in inquisitive semantics (Ciardelli, Groenendijk, Roelofsen 2013):

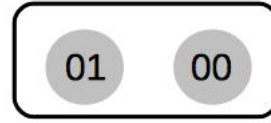
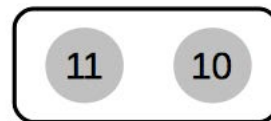
- ▶ Assume Ed came in (11), (10), Ann came in (11), (01), no-one came in (00)



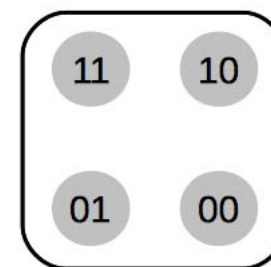
*Ed came.*



*Ed didn't come.*



*Did Ed come?*



*Ed came or  
Ed didn't come.*

# Problems with the standard view

Biased polarity questions:

- ▶ Declarative questions (Gunlogson 2002): *Ed came?*
- ▶ Chinese *ma* questions: *Zhangsan lai-le ma?*  
in contrast to A-bu-A-questions: *Zhangsan lai bu lai le?*

Questions with propositional negation

- ▶ *Did Ed not come?* – same denotation as *Did Ed come?*

Questions with incredulity contour

- ▶ *Did ED win the race??*

Difference to alternative polarity question:

- ▶ *Did Ed come, or not?* – same denotation as *Did Ed come?*

Proposed solution in Inquisitive Semantics:

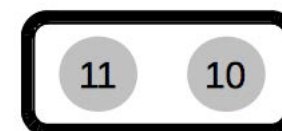
- ▶ Highlighting (Prominence)  
(cf. Farkas & Roelofsen 2015).

Problem:

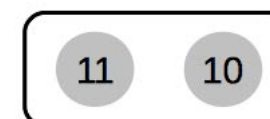
- ▶ Highlighting is an extraneous, artificial device.

Question:

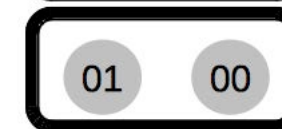
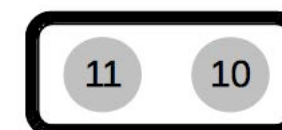
- ▶ How can we deal with  
proposition prominence in questions?



*Ed came?*



*Did Ed not come?*



*Did Ed come,  
or did he not come?*

# A framework for speech acts

A framework for speech acts (Cohen & Krifka 2014)

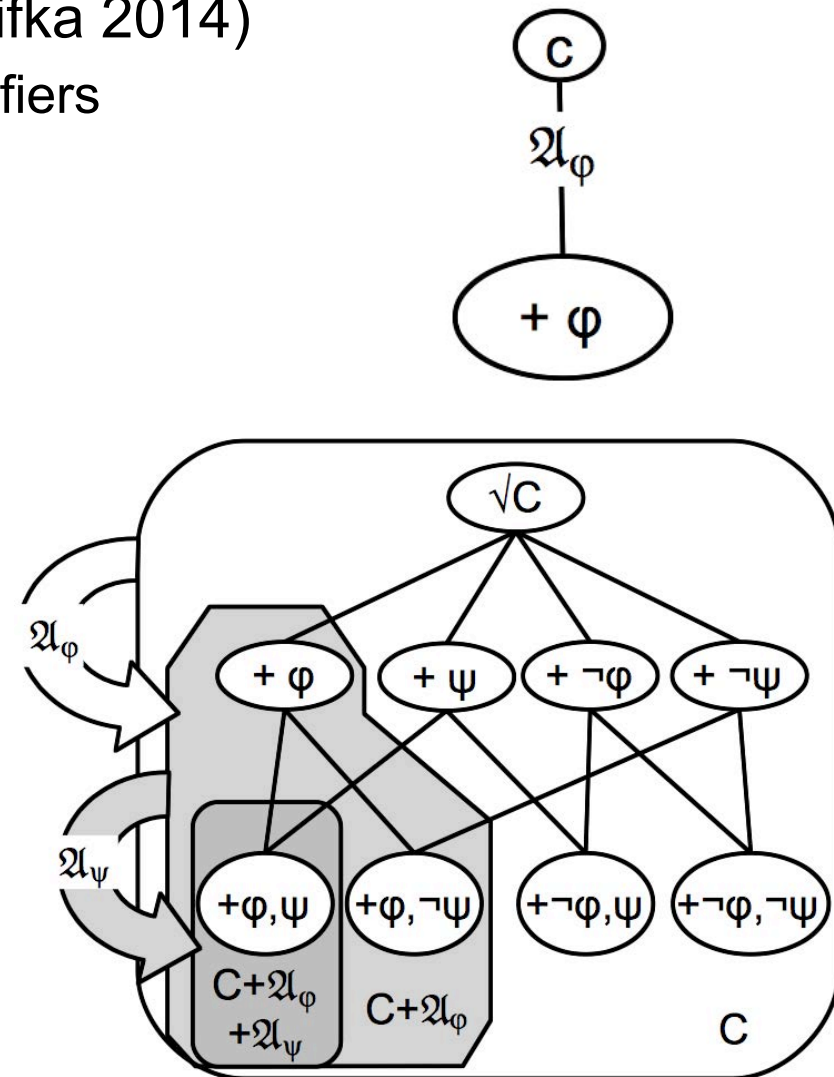
- ▶ there: *at least* / *at most* as speech act modifiers
- ▶ here: assertions and questions

## Commitment States $c$ :

- ▶ Sets of propositions that are shared in communication
- ▶ Cf. notion of common ground
- ▶ Consistent, in particular:  
If  $\varphi \in c$ , then  $\neg\varphi \notin c$
- ▶ Update with speech act  $\mathfrak{A}_\varphi$ :  
 $c + \mathfrak{A}_\varphi = c \cup \varphi$

## Commitment Spaces $C$ :

- ▶ Sets of commitment states that have a **root**  $\sqrt{C} = \cap C$  such that  $\sqrt{C} \in C$ ,  $\sqrt{C} \neq \emptyset$
- ▶ Update of a commitment space  $C$  with  $\mathfrak{A}$   
 $C + \mathfrak{A} = \{c \in C \mid \sqrt{C} + \mathfrak{A} \subseteq c\}$



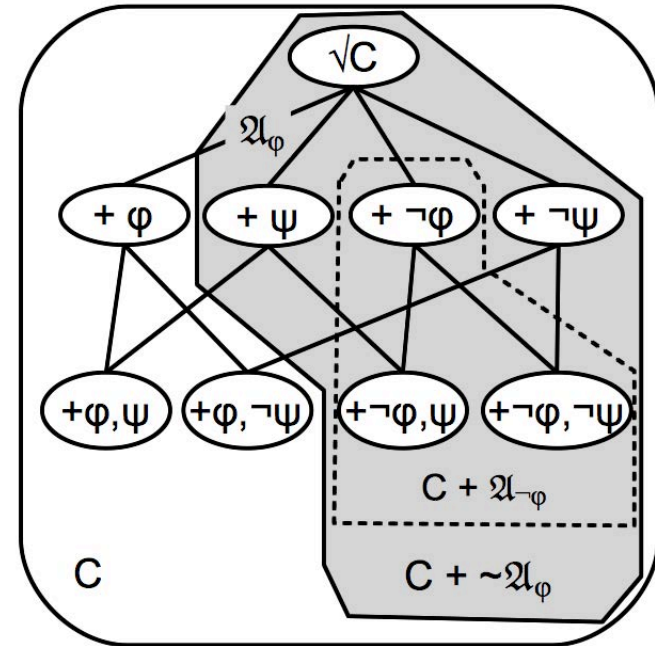
# A framework for speech acts

Speech act denegation  
(Searle 1969, Hare 1970)

- ▶ *I don't promise to come.*
- ▶  $C + \neg \mathcal{A} = C - [C + \mathcal{A}]$
- ▶ Different from  $C + A_{\neg\varphi}$

Meta speech acts (Cohen & Krifka 2014)

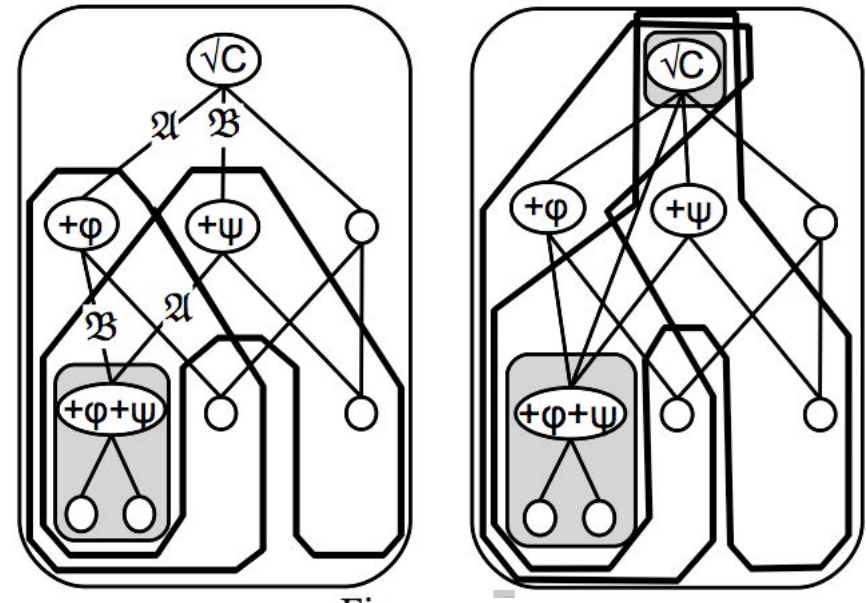
- ▶ Does not change the root
- ▶ Concerns only the projected developments  
(common ground management)



# A framework for speech acts

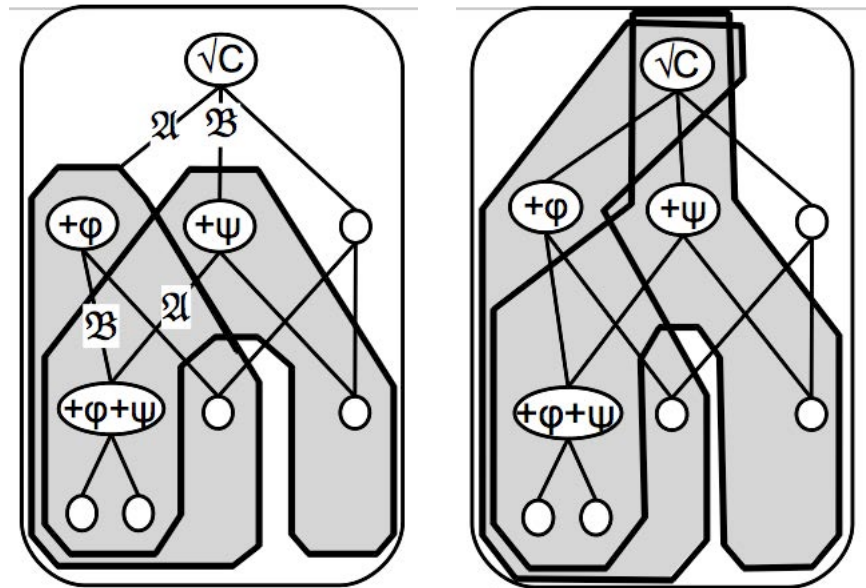
Speech act conjunction  
(Krifka 2001, Cohen & Krifka 2014)

- ▶  $C + [\mathfrak{A} \& \mathfrak{B}] = [C + \mathfrak{A}] \cap [C + \mathfrak{B}]$   
 $\approx C + \mathfrak{A} + \mathfrak{B}, \approx C + \mathfrak{B} + \mathfrak{A}$
- ▶ Proper Commitment Space  
 for basic speech acts  
 and for meta speech acts



Speech act disjunction:  
(Cohen & Krifka 2014):

- ▶  $C + [\mathfrak{A} \vee \mathfrak{B}] = [C + \mathfrak{A}] \cup [C + \mathfrak{B}]$
- ▶ Proper Commitment Space  
 only for meta speech acts.





# Assertions

Assertions as making addressee believe (Bach and Harnish 1979).

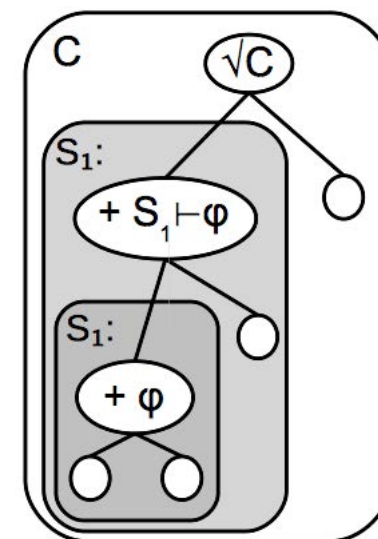
- Problem: *Believe it or not, I won the race.*

Assertion as commitment to one's belief (Lauer 2013)

- Problem: *I won the race.*  $\neq$  *I believe I won the race.*

Assertion as commitment to a proposition,  
if proposition turns out false: social sanctions (Brandom 1983).

- $S_1$  publicly committed to  $\varphi$ :  $S_1 \vdash \varphi$ ,  
this is added to commitment state
- By public commitment,  $\varphi$  becomes part  
of commitment state
- This latter move is a conversational implicature.
- Formally (where  $+_{S_1}$  signals move by  $S_1$ ):  
 $C +_{S_1} S_1 \vdash \varphi +_{S_1} \varphi$
- Syntactic realization by Act Phrase and Commitment Phrase  
 $[_{ActP} [_{Act^o} \cdot] [_{ComP} [_{Com^o} \vdash] [_{TP} \textit{I won the race}]]]]$
- ComP specifiers:  
 $[_{ActP} [ / [_{Act^o} \cdot] [_{ComP} \textit{honestly} [_{Com^o} \vdash] [_{TP} t_i \textit{won the race}]]]]]$



# Reactions to Assertion

Acknowledgement:

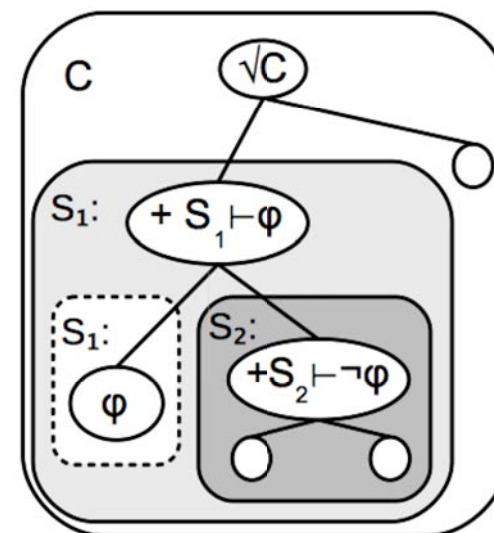
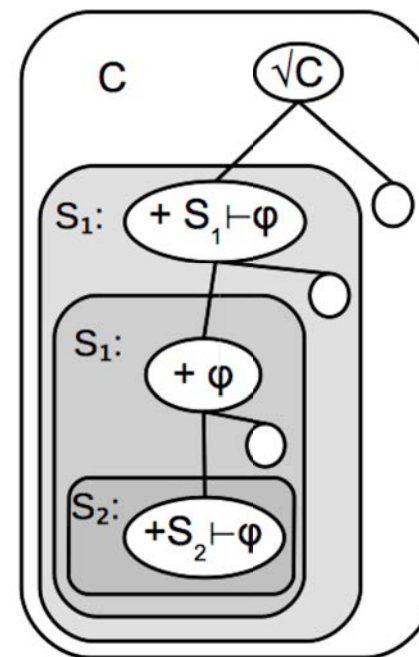
- ▶  $S_1$ : *I won the race.*  
 $S_2$ : *Aha. / Okay. / Mmh.*
- ▶  $S_2$  does not become responsible for  $\varphi$ .

Agreement:

- ▶  $S_1$ : *I won the race.*  
 $S_2$ : *Yes (you did).*
- ▶  $S_2$  becomes responsible for  $\varphi$ .
- ▶ Krifka 2013:  
TP introduces proposition  $\varphi$  as antecedent,  
yes picks  $\varphi$  up and asserts it.

Disagreement:

- ▶  $S_1$ : *I won the race.*  
 $S_2$ : *No (you didn't).*
- ▶  $no$  picks  $\varphi$  up and asserts its negation,  $\neg\varphi$
- ▶ To keep consistency, last move by  $S_1$   
(the conversational implicature  $\varphi$ )  
has to be rejected first.





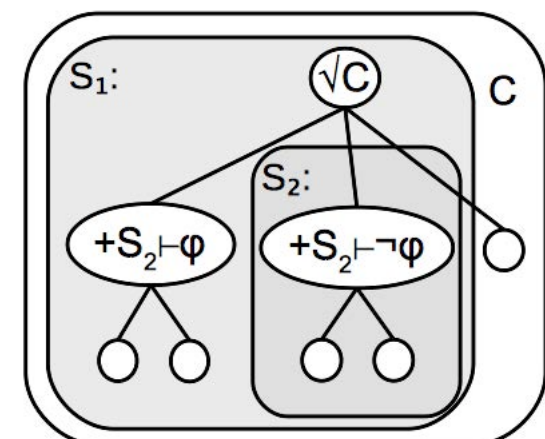
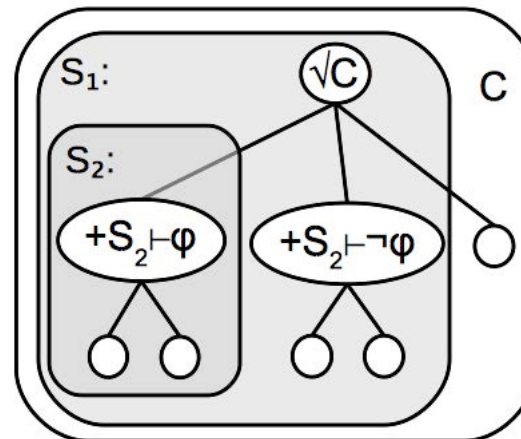
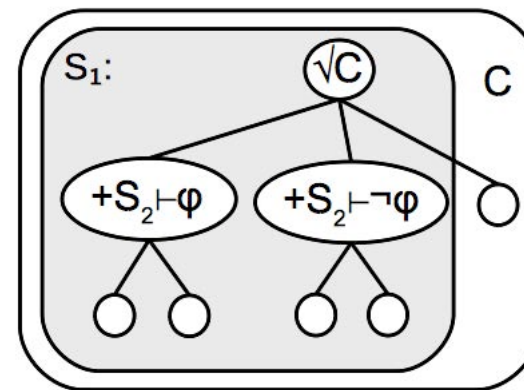
# Questions: Bipolar questions

Questions as meta speech acts that elicit assertions by the addressee:

- ▶  $C + S_1$ , to  $S_2$ : *Did I win the race?*
- ▶ Classical analysis as **bipolar** question by (meta) speech act disjunction:  
 $\{\sqrt{C}\} \cup [C +_{S_1} S_2 \vdash \varphi] \cup [C +_{S_1} S_2 \vdash \neg\varphi]$

Answer to bipolar question:

- ▶ Answer *yes*:  
Refer to TP proposition  $\varphi$ ,  
 $S_2$  asserts  $\varphi$
- ▶ Answer *no*:  
Refer to TP proposition  $\varphi$ ,  
 $S_1$  asserts  $\neg\varphi$
- ▶ No rejection required.



# Questions: Monopolar questions

The present framework naturally allows for modeling questions that elicit just one assertion by the addressee.

- ▶  $C + S_1$ , to  $S_1$ : *I won the race?*
- ▶  $\{\sqrt{C}\} \cup C +_{S_1} S_2 \vdash \varphi$

Asking for the negated proposition, regular question:

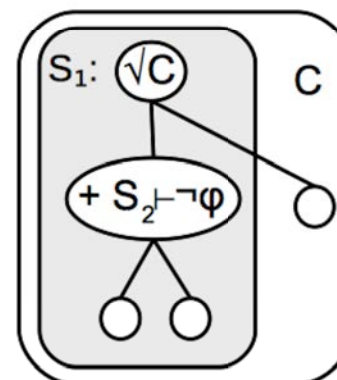
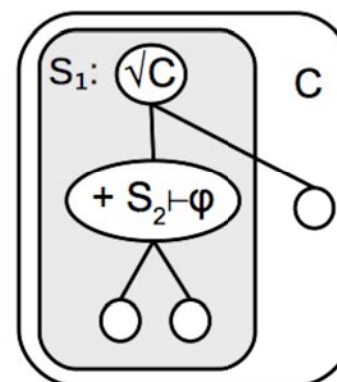
- ▶  $C + S_1$ , to  $S_1$ : *I didn't win the race?*  
 $C + S_1$ , to  $S_1$ : *Did I not win the race?*
- ▶  $\{\sqrt{C}\} \cup C +_{S_1} S_2 \vdash \neg \varphi$

Proposal for declarative questions:

- ▶ Assertive syntax, but question prosody,  
 $S_1$  elicits an assertion by  $S_2$

Proposal for regular questions:

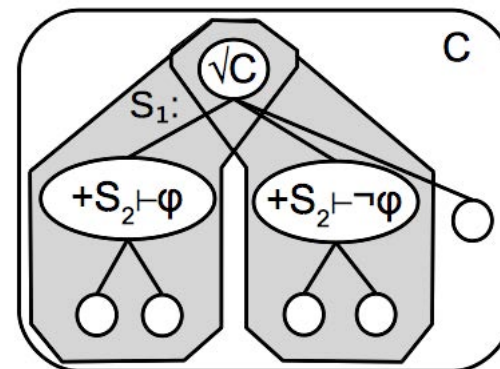
- ▶ Question act phrase, Commitment Phrase:
- ▶  $[_{\text{ActP}} [_{\text{Act}^0} \text{?}-Did] [_{\text{ComP}} / [_{\text{Com}^0} \vdash] (not) [_{\text{TP}} t_I t_{did} \text{win the race}]]]$



# Formation of bipolar questions from monopolar ones

Bipolar question as disjunction of two monopolar questions

- ▶ Cf. Chinese shi-bu-shi questions
- ▶ In English: Verum operator associated with *DO*:  
*I DID win the race.*  
Of the two propositions  $\phi$ ,  $\neg\phi$ , the proposition  $\phi$  is true.
- ▶ Verum operator has Falsum operator as alternative, question implies disjunction over alternative set.



- ▶  $C +_{S_1} S_1$ , to  $S_2$ :

$[_{ActP} [[_{Acr^o} ? did_{VERUM, FALSUM} ] [_{Comp} / [[_{Com^op} \vdash ] [_{TP} t_l t_{did} win\ the\ race]]]]]$

- ▶  $[\{\sqrt{C}\} \cup C +_{S_1} [S_2 \vdash \phi]] \cup [\{\sqrt{C}\} \cup C +_{S_1} [S_2 \vdash \neg\phi]]$

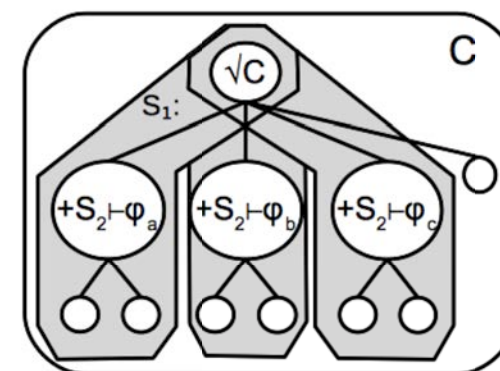
Disjunction of monopolar questions  
also for forming constituent questions

- ▶  $C +_{S_1} S_1$ , to  $S_2$ :

$[_{ActP} who [[_{Acr^o} ? did] [_{Comp} Ed [[_{Com^op} \vdash ] [_{TP} t_{Ws} t_{did} meet]]]]]$

- ▶ With *Ed met Ann / Beth / Carla* (a, b, c) as possible answers:

$\bigvee_{x \in \{a, b, c\}} \{\sqrt{C}\} \cup C +_{S_1} S_2 \vdash 'Ed\ met\ x'$



# Answers to monopolar questions

Monopolar questions are biased to an answer:

- ▶ *I won the race?*
- ▶ *Did I not win the race?*
- ▶ *Did I win the race?*

The preferred answer is straightforward:

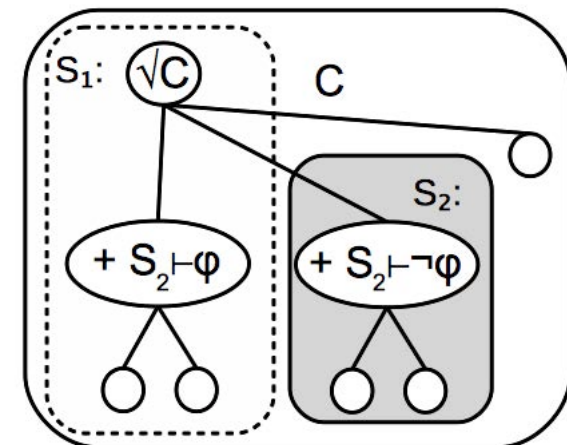
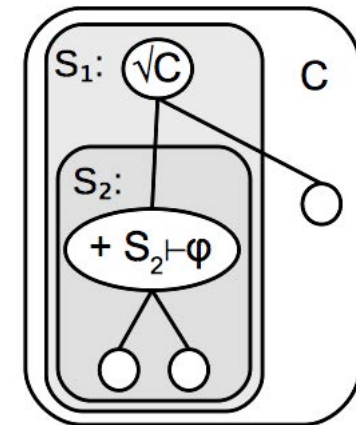
- ▶  $S_1$  to  $S_2$ : *I won the race?*  
 $S_2$ : *Yes, you did.*

The non-preferred answer requires a rejection of the suggested move.

- ▶  $S_1$  to  $S_2$ : *I won the race?*  
 $S_2$ : *No, you didn't.*
- ▶ Not a potential conflict as after assertion, just a rejection of common ground management.

Difference between regular bipolar question and explicit monopolar disjunctive question:

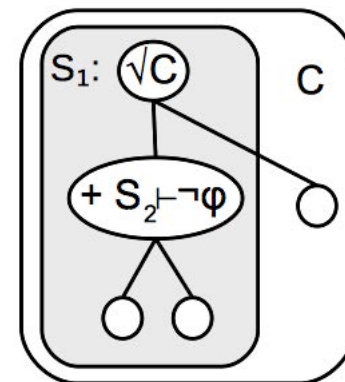
- ▶ *DID I win the race?*  
Only one TP  $\varphi$  introduced, answer *yes/no* straightforward.
- ▶ *Did I win the race, or didn't I?*  
Two TPs introduced,  $\varphi$  and  $\neg\varphi$ , answers *yes/no* ambiguous.



# High negation in questions

Propositional negation, see above:

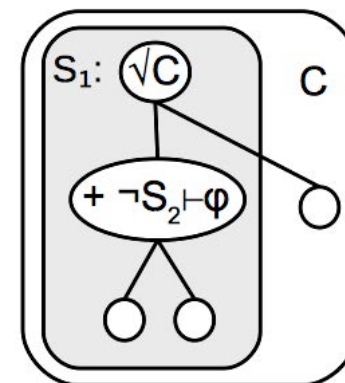
- ▶ *Did I not win the race?*
- ▶  $[_{AcrP} [_{Act^o} ? \textit{Did}] [_{ComP} / [_{Com^o} \vdash] [_{TP} \textit{not} [_{TP} t_l t_{did} \textit{win the race}]]]]]$
- ▶  $\{\sqrt{C}\} \cup C +_{S_1} S_2 \vdash \neg \varphi$



High negation in questions

(Ladd 1982, Büring & Gunlogson 2000,  
Han & Romero 2004, Romero 2006, Repp 2012, ...)

- ▶ *Didn't I win the race?*
- ▶ Negation of Commitment Phrase.
- ▶  $[_{AcrP} [_{Act^o} ? \textit{Did}] [_{ComP} n't [_{ComP} / [_{Com^o} \vdash] [_{TP} t_l t_{did} \textit{win the race}]]]]]$

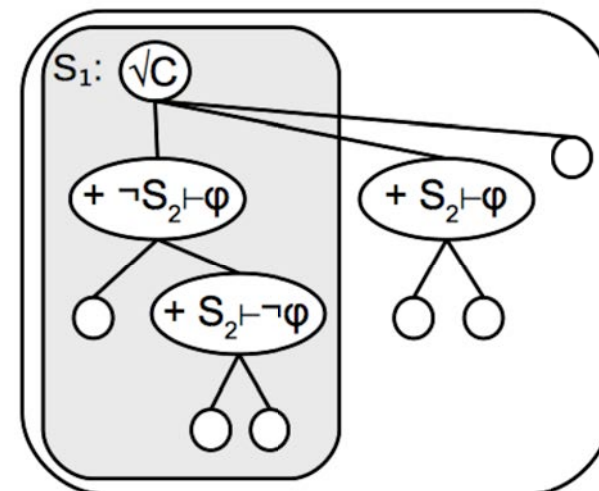


- ▶  $\{\sqrt{C}\} \cup C +_{S_1} \neg S_2 \vdash \varphi$   
S<sub>1</sub> checks whether S<sub>2</sub> refrains  
from getting committed to  $\varphi$

- ▶ This is a more general request  
than narrow-scope negation.

In addition, lower reading, prop. negation:

- ▶  $[_{ActP} [[? \textit{Did}] [_{ComP} [[\vdash] [_{NegP} [[n't] [_{TP} / t_{did} \textit{win the race}]]]]]]]$





# Use of high negation question

Adopted from Buring & Gunlogson 2000:

- ▶ a.  $S_1$  looks at the yellow pages of a small town, finds a restaurant “V-Day”
- b.  $S_1$  has no information but considers eating in a vegetarian restaurant.
- c.  $S_1$  looks at the yellow pages of a small town, only finds restaurants like “Meateaters delight”, “The Big T-Bone”, etc.
- ▶ i.  $S_1$ : a, b, c: *Is there a vegetarian restaurant around here?*
- ii.  $S_1$ : #a, b, #c: *Is there no vegetarian restaurant around here?*
- iii.  $S_1$ : #a, b, c: *Isn't there a vegetarian restaurant around here?*
- ▶ Contextual evidence:    i. no negation    ii. low neg.    iii. high neg.
  - a. There is a veg. rest.    o.k. (monopol.) #    #
  - b. Neutral    o.k. (bipolar) #    o.k. (not sure wh.  $S_2$  knows)
  - c. There is no veg. r.    (#)    o.k.    o.k. (double checking)
- ▶ Additional factor: prosody (incredulity contour)

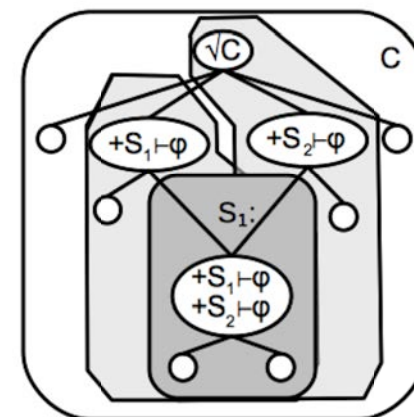


# Question tags

Two kinds of question tags (Cattell 1973):

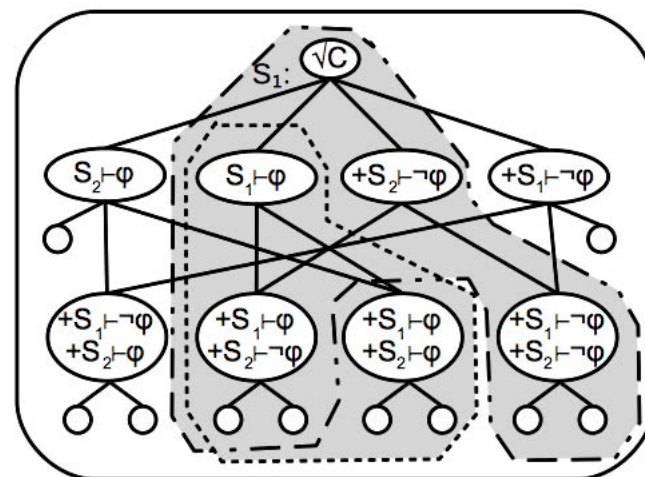
## Matching tag questions

- ▶ The host clause is not put forward as the point of view of the speaker, but as one that is possibly that of the listener.
- ▶ *You are tired, are you?*
- ▶ Analysis by speech act **conjunction** of an assertion and a question.
- ▶  $[C +_{S_1} S_1 \vdash \varphi] \cap [\{\sqrt{C}\} \cup C +_{S_1} S_2 \vdash \varphi]$
- ▶ Effect:  $S_1$  guarantees commitment to  $\varphi$  if  $S_2$  commits to it.



## Reverse tag questions:

- ▶ Speaker offers his own opinion, asks for agreement.
- ▶ *I have won the race, haven't I?*  
*I haven't won the race, have I?*
- ▶ Analysis by speech act **disjunction** of an assertion and a (low negation) question.
- ▶  $[C +_{S_1} S_1 \vdash \varphi] \cup [\{\sqrt{C}\} \cup C +_{S_1} S_2 \vdash \neg \varphi]$
- ▶ Effect:  $S_1$  invites  $S_2$  to commit to  $\varphi$ ,  
Excludes that  $S_2$  is committed to  $\varphi$ , but  $S_1$  is not.



# Response patterns with *yes* and *no*:

## Prominence of propositional discourse referents

Krifka 2013: *yes* and *no* as assertive anaphors.

- ▶ *yes* picks up propositional discourse referent introduced by TP and asserts it.
- ▶ *no* picks up propositional discourse referent and asserts its negation.

Example with non-negated antecedent:

- |   |                      |                           |
|---|----------------------|---------------------------|
| ▶ $S_1: [_{\text{ActP}} [_{\text{Act}^\circ} \cdot] [_{\text{ComP}} [_{\text{Com}^\circ} \vdash] [_{\text{TP}} \text{I won the race}]]]]$ | $S_2: \text{Yes.}$   | $S_2: \text{No.}$         |
| $\uparrow \varphi$  | $S_2 \vdash \varphi$ | $S_2 \vdash \neg \varphi$ |

Example with negated antecedent:

- |  |                       |                            |
|--|-----------------------|----------------------------|
| ▶ $S_1: [_{\text{ActP}} [_{\text{Act}^\circ} \cdot] [_{\text{ComP}} \text{I} [_{\text{Com}^\circ} \vdash \text{did}] [_{\text{TP}} \text{not} [_{\text{TP}} t_i t_{\text{did}} \text{win the race}]]]]]$ | $S_2: \text{Yes.}$    | $S_2: \text{No.}$          |
| $\uparrow \varphi' \quad \uparrow \varphi$   | $S_2 \vdash \varphi$  | $S_2 \vdash \neg \varphi$  |
|  | $S_2 \vdash \varphi'$ | $S_2 \vdash \neg \varphi'$ |

- ▶ If non-negated  $\varphi$  is more prominent (salient): *no* is used to agree ( $S_2 \vdash \neg \varphi$ )
- ▶ If negated  $\varphi$  is more prominent: *yes* is used to agree ( $S_2 \vdash \varphi'$ )
- ▶ Saliency might depend on context:

$S_2$ : *Which of the mountains of this list did Reinhold not climb?*  
*I think he did not climb Mount Cotopaxí.*

$S_2$ : *Yes. / No. (both agreeing, yes preferred?)*

# Response patterns with *yes* and *no*: Questions

Example with questions, propositional negation:

- $S_1: [_{\text{ActP}} [[_{\text{Act}^0} \text{did}] [_{\text{ComP}} / [[_{\text{Com}^0} \vdash] [_{\text{TP}} \text{not} [_{\text{TP}} t_i t_{\text{did}} \text{win the race}]]]]]$ 

$S_2: \text{Yes.}$   
 $S_2 \vdash \varphi$   
 $S_2 \vdash \varphi'$

$S_2: \text{No.}$   
 $S_2 \vdash \neg \varphi$   
 $S_2 \vdash \neg \varphi'$

$\uparrow \varphi'$        $\uparrow \varphi$

No ambiguity of *yes/no* answers with lexical negation:

- E.g. *loose* = *not win*  
 $S_1: [_{\text{ActP}} [[_{\text{Act}^0} \cdot] [_{\text{ComP}} [[_{\text{Com}^0} \vdash] [_{\text{TP}} / \text{lost the race}]]]]]$ 

$S_2: \text{Yes.}$   
 $S_2 \vdash \varphi$

$S_2: \text{No.}$   
 $S_2 \vdash \neg \varphi$

$\uparrow \varphi$
- $S_1: \text{Chocolate is healthy. / not healthy. / unhealthy.}$   
 $S_2: \text{Yes. / No.}$

No ambiguity of *yes/no* answers with high negation:

- $S_1: [_{\text{ActP}} [[_{\text{Act}^0} ? \text{did}] [_{\text{ComP}} \text{not} [_{\text{ComP}} / [[_{\text{Com}^0} \vdash] [_{\text{TP}} t_i t_{\text{did}} \text{win the race}]]]]]]]$ 

$S_2: \text{Yes.}$   
 $S_2 \vdash \varphi$

$S_2: \text{No.}$   
 $S_2 \vdash \neg \varphi$

$\uparrow \varphi$
- We assume that only TPs introduce propositional discourse referents, Commitment Phrases do not.
- ActPs introduce event discourse referents:  
 $S_1: \text{Ed has cheated on the exam.}$   
 $S_2: \text{That's not nice!}$ 
  - i. The event of cheating.
  - ii. The event of  $S_1$ 's telling.

# Bias in embedded questions

Bolinger (1978), “Yes-no questions are not alternative questions”

- ▶ *John asked Sue if she would marry him.*
- ▶ *John asked Sue whether she would marry him.*

Interrogatives and declaratives under *doubt* / *zweifeln* (Fischer 2005)

- ▶ *Peter zweifelt, dass er das Rennen gewinnen wird.*
- ▶ *Peter zweifelt, ob er das Rennen gewinnen wird.*
- ▶ *\*Peter zweifelt, wer gewinnen wird.*
- ▶ *I doubt whether he will come.*
- ▶ *I doubt if he will come.*
- ▶ *I (don't) doubt that he will come.*

Proposal:

- ▶ Embedded polarity questions have a monopolar reading as well.
- ▶ Assume that they are represented by a singleton set of a proposition,  $\{\varphi\}$
- ▶ By exhaustivisation of this set: bipolar interpretation,  $\{\varphi, \neg\varphi\}$  (cf. Biezma & Rawlins 2012).

## Wrapping up:

- ▶ Polarity questions often come with a bias, which can be interpreted as one answer being more prominent than the other.
- ▶ This cannot be dealt with by the usual analysis of such questions as involving a set of two equal propositions.
- ▶ This has been recognized, and dealt with by devices such as highlighting.
- ▶ Here, a theory has been proposed that does not need such devices; it assumes monopolar questions that ask for the assertion of one proposition.
- ▶ I have argued that standard English questions are basically monopolar, bipolarity results by the Verum operator introducing alternatives.
- ▶ I have discussed the bias of high negation questions.
- ▶ I have treated the bias resulting from question tags.
- ▶ I have discussed the use of *yes* and *no* as answer particles involving the introduction of propositional discourse referents by the antecedent clause, where prominence plays a role for negated antecedents.